Theorem 12 \{connection figure (1234 21435678 6587)]
There exists a one to one mapping $F$ from the set of general $4 \times 4$-magic squares with connection figure (1122 33445566 7788) [see Theorems 1.1, 1.2, 1.3] onto the set of general magic $4 \times 4$ squares of connection figure (1234 21435678 6587):

$$
\begin{aligned}
& \mathrm{C01} \mathrm{c} 02 \mathrm{c} 03 \mathrm{c} 04 \quad \mathrm{c} 01 \mathrm{c} 06 \mathrm{c} 11 \mathrm{c} 16 \\
& \mathrm{c} 05 \mathrm{c} 06 \mathrm{c} 07 \mathrm{c} 08 \text { c05 c02 c15 c12 } \\
& \text { F: c09 c10 c11 c12 --> c09 c14 c03 c08 } \\
& \text { c13 c14 c15 c16 c13 c10 c07 c04 }
\end{aligned}
$$

For any symmetric subset $T$ with 16 elements, containing 1, of $\{1, \ldots, N\}$ there are 0 or 364 general $4 x 4$ magic squares with entries from $T$.
The subsets $T$, which allow general $4 x 4$ magic squares are described in Theorems 1.1 and 1.2.

Proof
An easy verification.

## Example

Via $F$, its inverse mapping $\mathrm{F}^{-1}$, and the 384 transformations of Theorem 1.1 , every general $4 \times 4$ magic square with entry 1 and connection figure (1234 21435678 6587) can be derived from the square:

| 1 | 11 | 14 | 8 |
| ---: | ---: | ---: | ---: |
| 6 | 16 | 9 | 3 |
| 15 | 5 | 4 | 10 |
| 12 | 2 | 7 | 13. |

